## How to Calculate Various Combined Chances By Maritha Pottenger

To figure out various combinations, you have to add some percentages. Suppose, for example, you can make your game IF one suit breaks 3-3, OR if a finesse works in another suit. You know that the chances of a 3-3 break are about $1 / 3(36 \%)$. That means you will not get a $3-3$ break about $64 \%$ of the time. A finesse works $1 / 2$ the time (approximately). Half of $64 \%$ is $32 \%$. Adding $36 \%$ and $32 \%$ gives a combined chance of $68 \%$. (Or, doing the calculation starting with the finesse: the finesse works $50 \%$ of the time. Of the remaining $50 \%$ of hands when the finesse fails, you will get 3-3 break about $36 \%$ of the time. $36 \%$ of 50 is 18 . Adding $18 \%$ and $50 \%$, you come to the same answer of $68 \%$.)

Sometimes you need to know the approximate odds of finding an honor singleton or doubleton. That is based on the odds of distribution for that number of defensive cards and how many honors versus low spot cards are out. For example, suppose the opponents hold 7 cards. They rate to divide $4-3$ about $62 \%$ of the time; 5-2 about $31 \%$ of the time and 6-1 a bit under 7\% of the time. Suppose you need a singleton honor to drop. The odds of a singleton are $7 \%$ (6-1 break $7 \%$ of the time). Since there are 6 low cards involved and only one honor, the odds of that honor being singleton are one in 7 (about 14.29\%) of the $7 \%$ [chance for ANY singleton] or just under 1\%. In other words, the chance of dropping a singleton King with 7 cards out is about $\mathbf{1 \%}$. (Clearly a $50 \%$ finesse is a much better shot!)

If you need a doubleton honor, i.e. Qx, to drop, the odds of ANY doubleton are $30.52 \%$. With 6 small cards and 1 honor card, you have one chance in 7 (14.29\%) that the doubleton will be an honor-but you get that 1 in 7 chance twice. So, your actual chances are only about $4.36 \%$ PLUS 4.36 or about $8.72 \%$. If you add the chances of a singleton queen (1\%), the total is about $9.72 \%$. Or, the chances of dropping a doubleton queen with $\mathbf{7}$ cards out is almost $\mathbf{1 0 \%}$. (Finesse is still much stronger chance.)

If you need a trebleton honor, i.e. Jxx, to drop, the odds of a $4-3$ break are $62 \%$. With 7 cards out, the chances of you dropping a trebleton honor are 1 in 7 (14.29\%), but you get 3 tries at it. $14.29 \%$ of $62 \%$ is 8.8598\%. Multiplying that by 3 equals $26.58 \%$. Adding in almost $10 \%$ for the doubleton honor and $1 \%$ for the singleton honor and your total is about $37 \%$. Or, the chances of dropping a trebleton jack with 7 cards out is about $\mathbf{3 7 \%}$. (Finesse is better odds.)

If the opponents hold 6 cards, they will break $4-2$ about $48 \%$ of the time; $3-3$ about $36 \%$ of the time and $5-1$ about $15 \%$ of the time. The chances of a singleton honor are 1 in 6 (or 16.66\%). Taking $16.66 \%$ of $15 \%$ (ANY singleton) gives about a $\mathbf{2 \%}$ chance of dropping a singleton honor (presumably the King).

If the opponents hold 6 cards, the chances of dropping a doubleton honor are $1 / 6$ of $48 \%$ times 2 or about $16 \%$. Adding the chance of dropping a singleton honor gives a total chance of about $\mathbf{1 8 \%}$ that the queen will fall singleton or doubleton with $\mathbf{6}$ cards outstanding.

If the opponents hold 6 cards, the chances of dropping a trebleton honor are 36\% (the 3-3 breaks). Add in the potential for a singleton honor and a doubleton honor and the total chances of dropping a jack in one, two or three rounds (with 6 cards outstanding) is $54 \%$ (better odds than a straight finesse for the jack).

If opponents hold 5 cards, they will break $3-2$ about $68 \%$ of the time, $4-1$ about $28 \%$ of the time and 5-0 about $4 \%$ of the time. The chances of dropping a singleton King are 1 in 5 of $28 \%$ or about $\mathbf{5 . 6 \%}$. The chances of dropping a doubleton honor are 2 in 5 of $68 \%$ or about $27 \%$ plus an additional $5 \%$ for a total of about 32\%. The chances of dropping a trebleton honor are $68 \%$ (all of the 3-2 breaks) plus 5\% (chances of singleton honor with 4-1 break) or a total of $\mathbf{7 3 \%}$.

